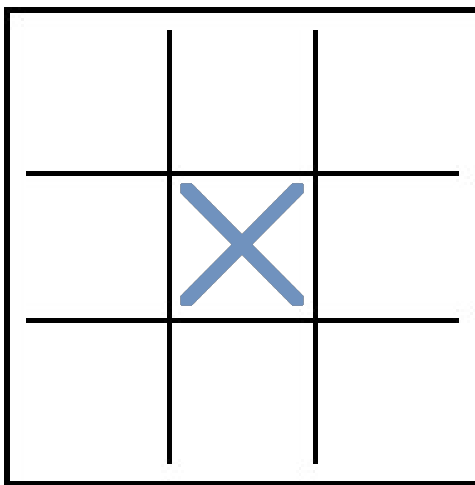
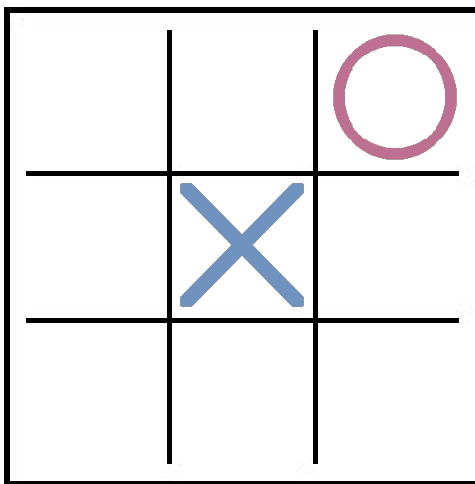
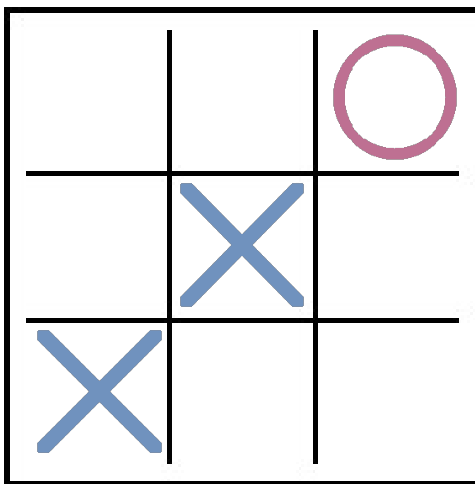


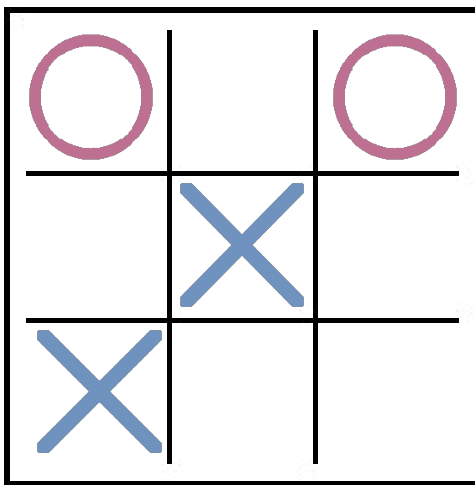
Super Noughts & Crosses AI

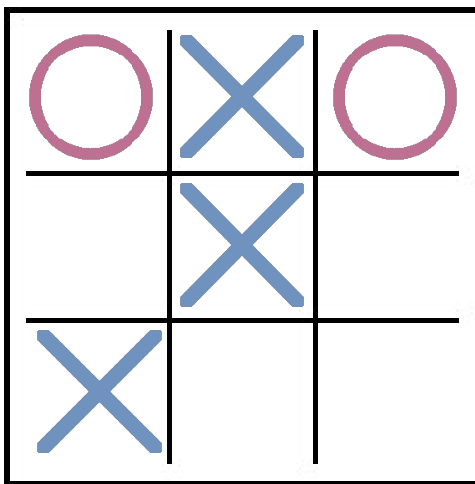
Thomas Richards

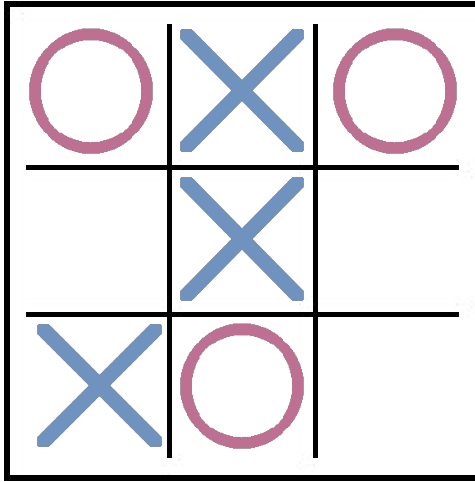


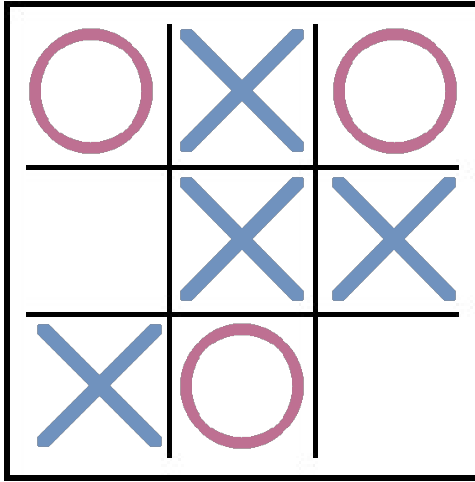




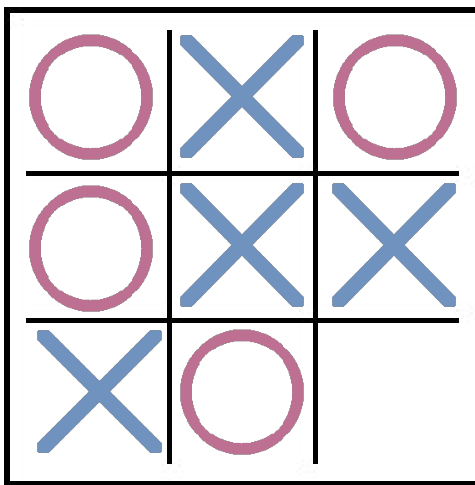


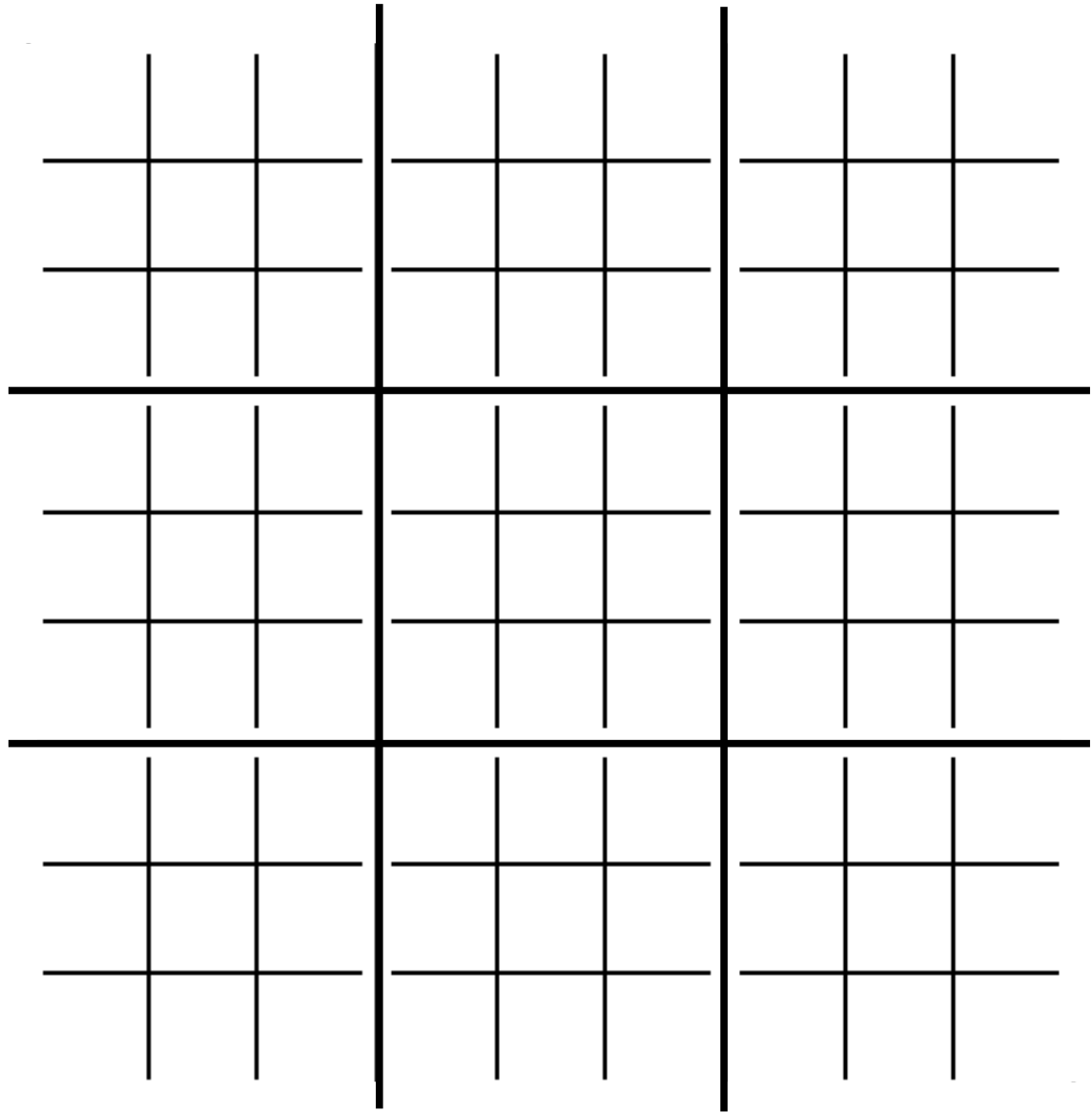


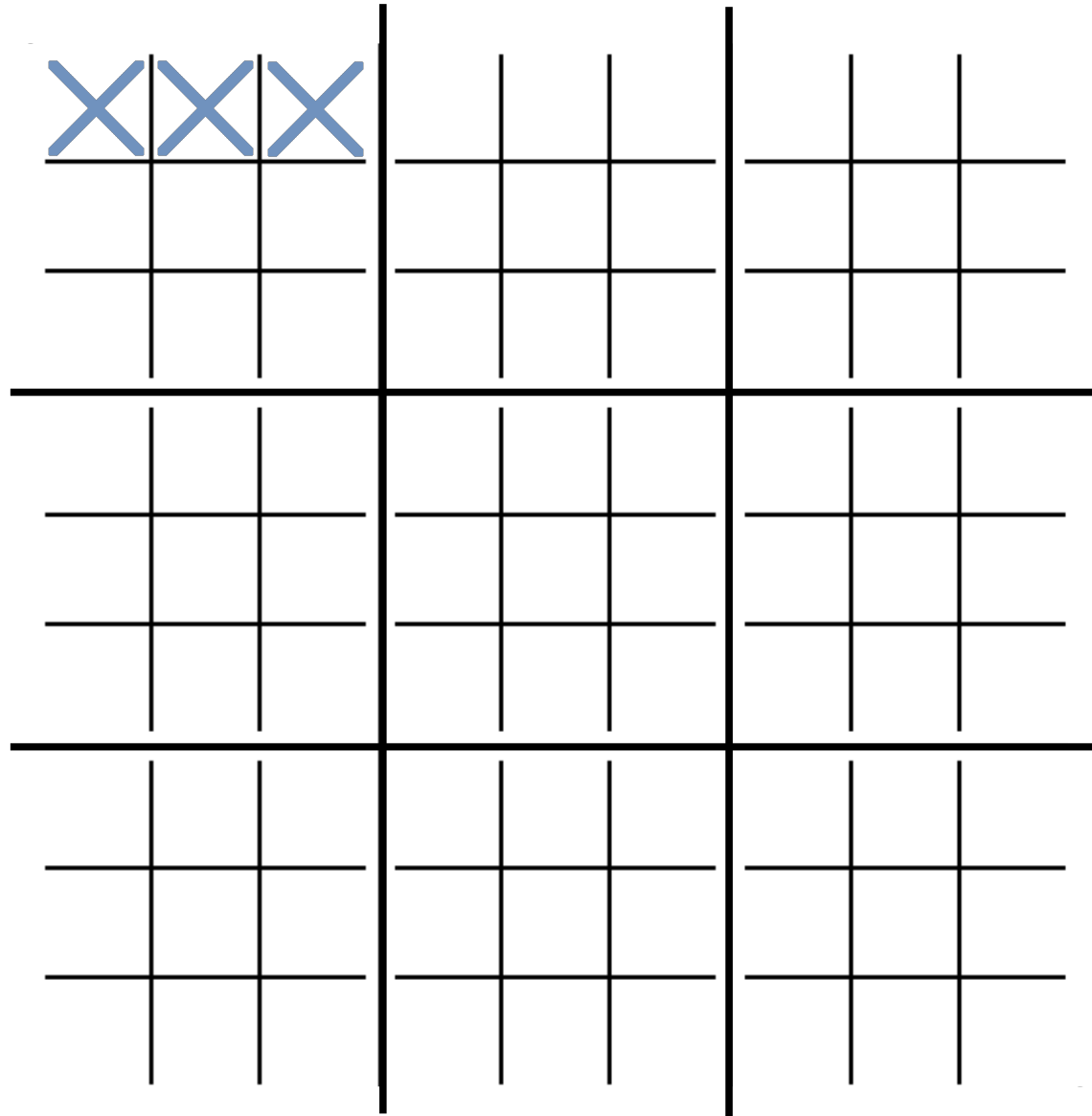


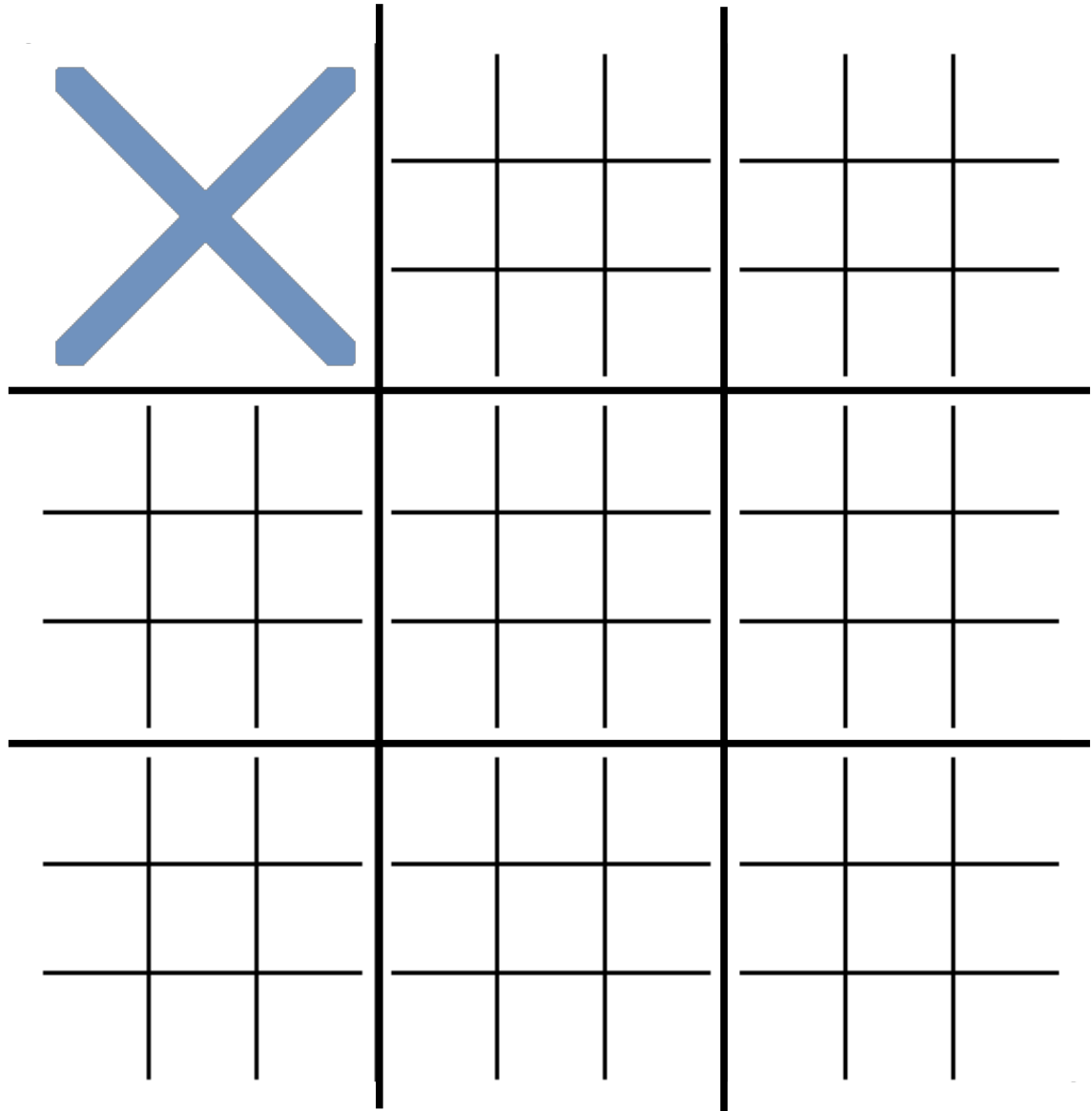


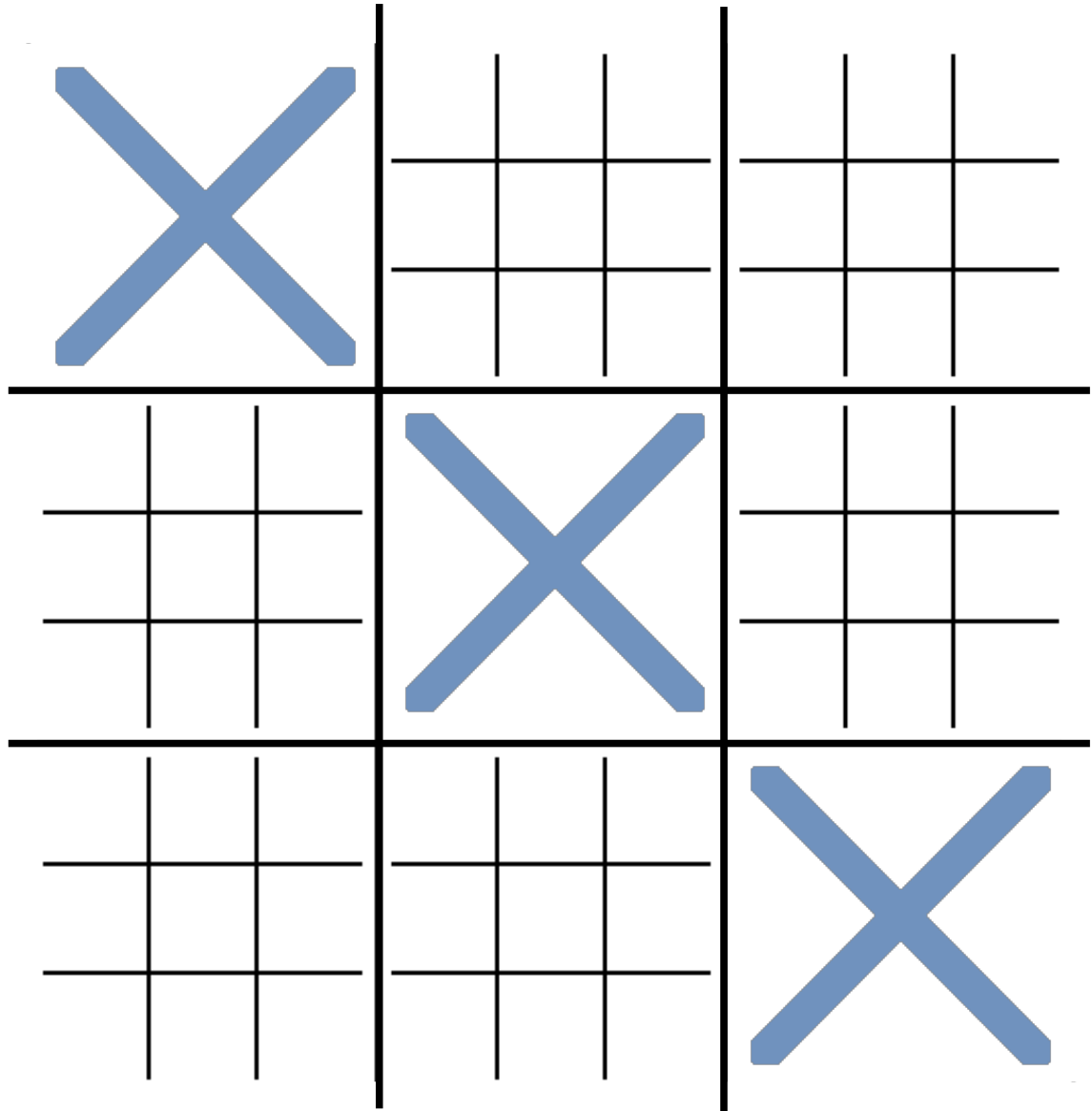


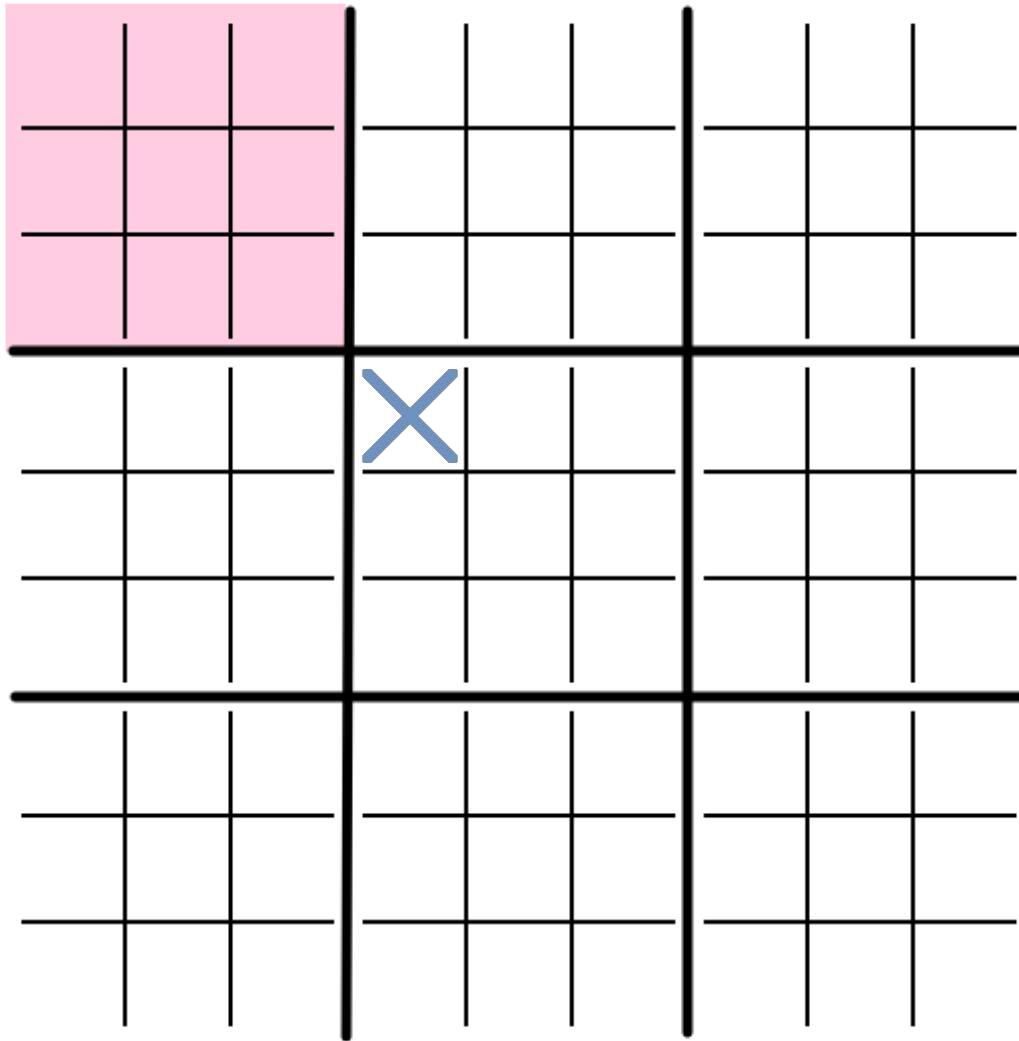


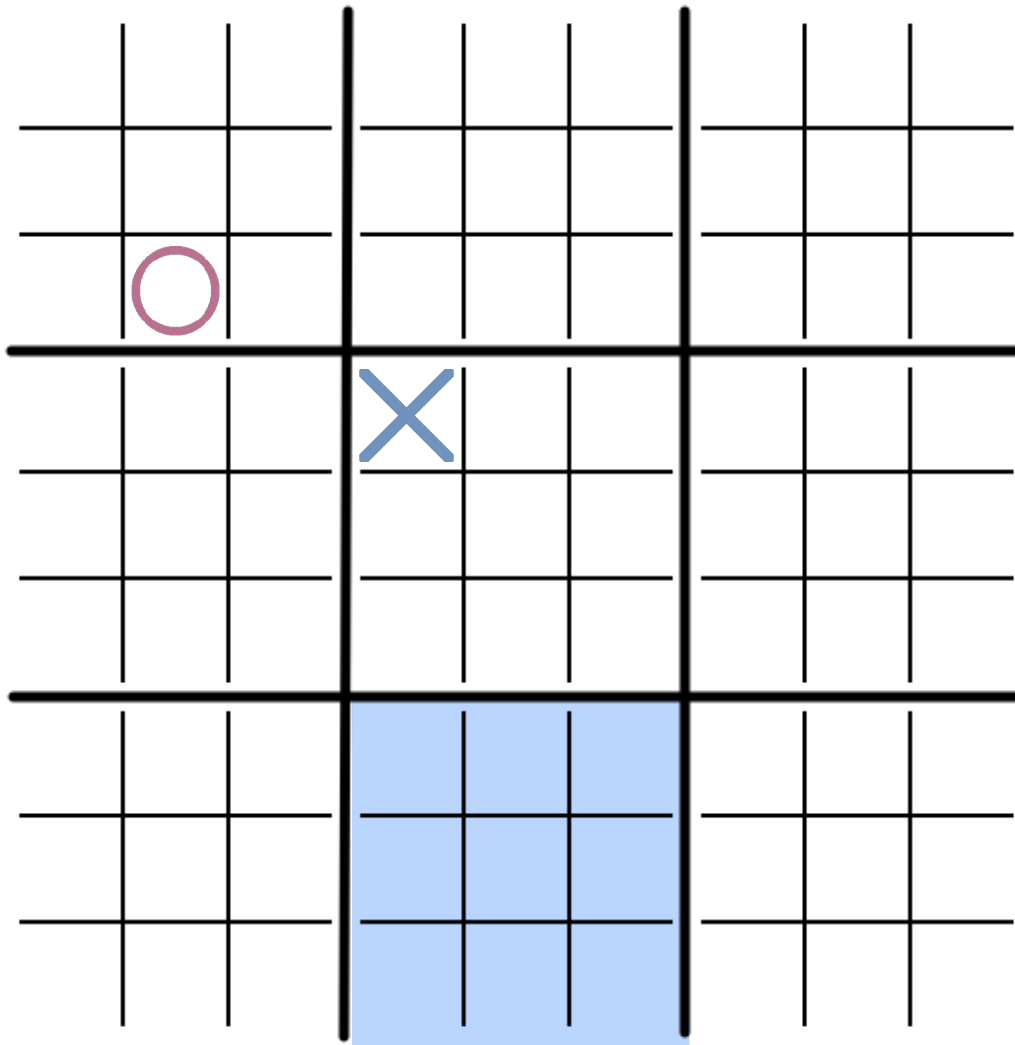


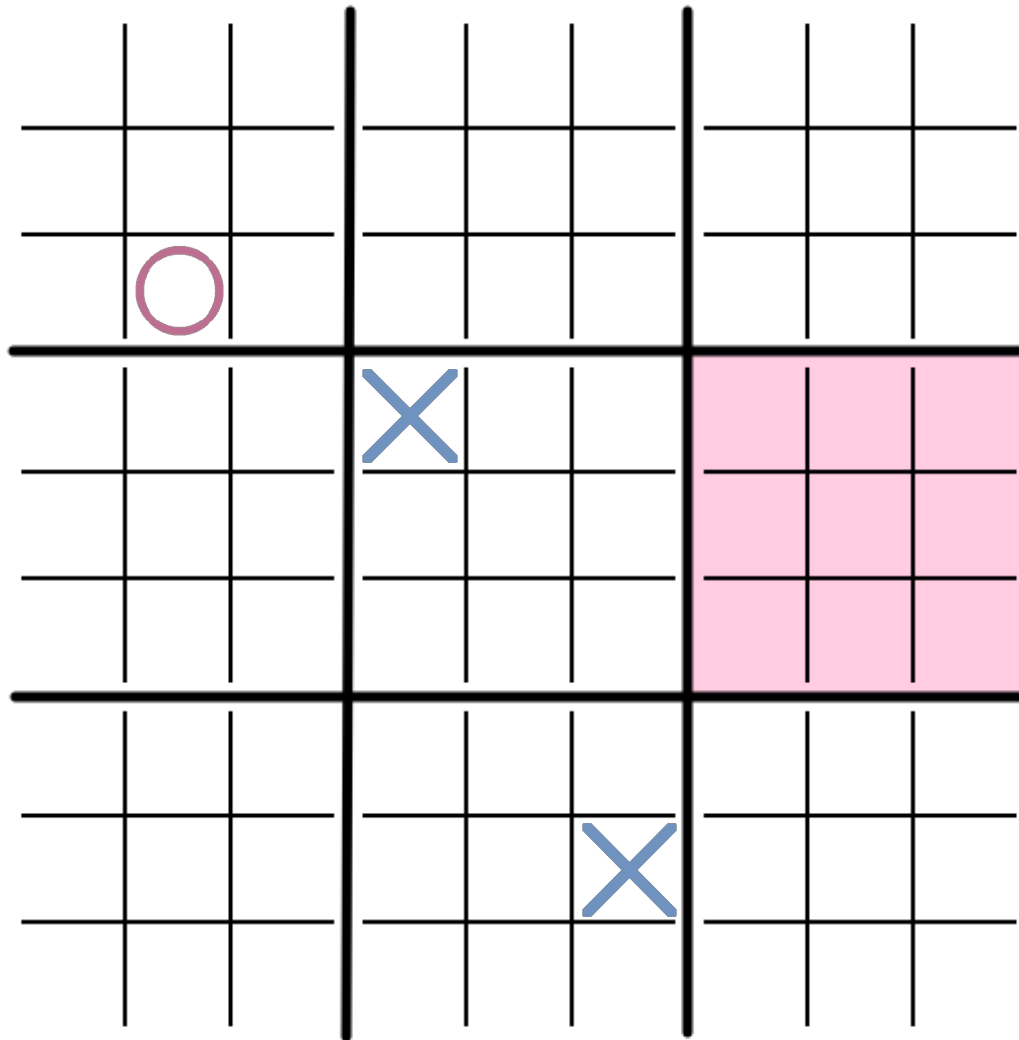




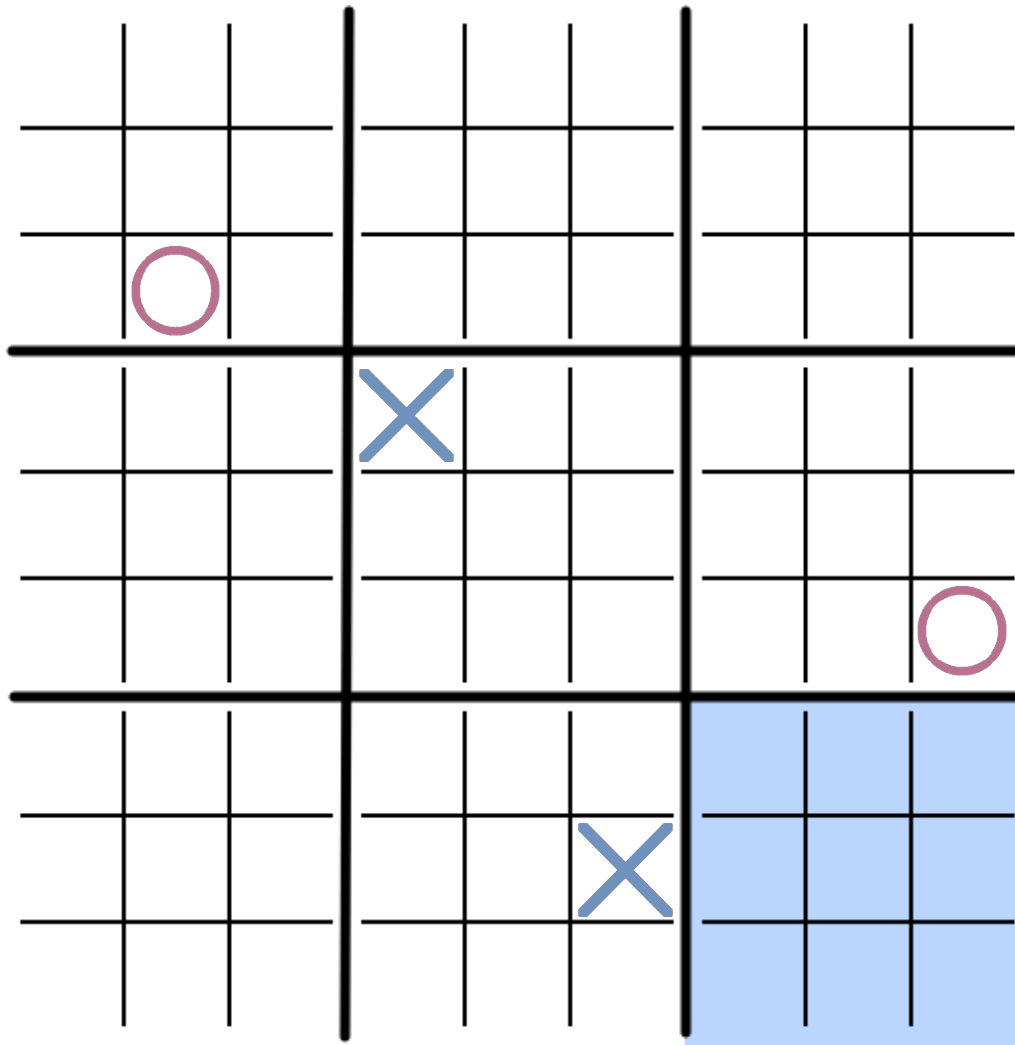










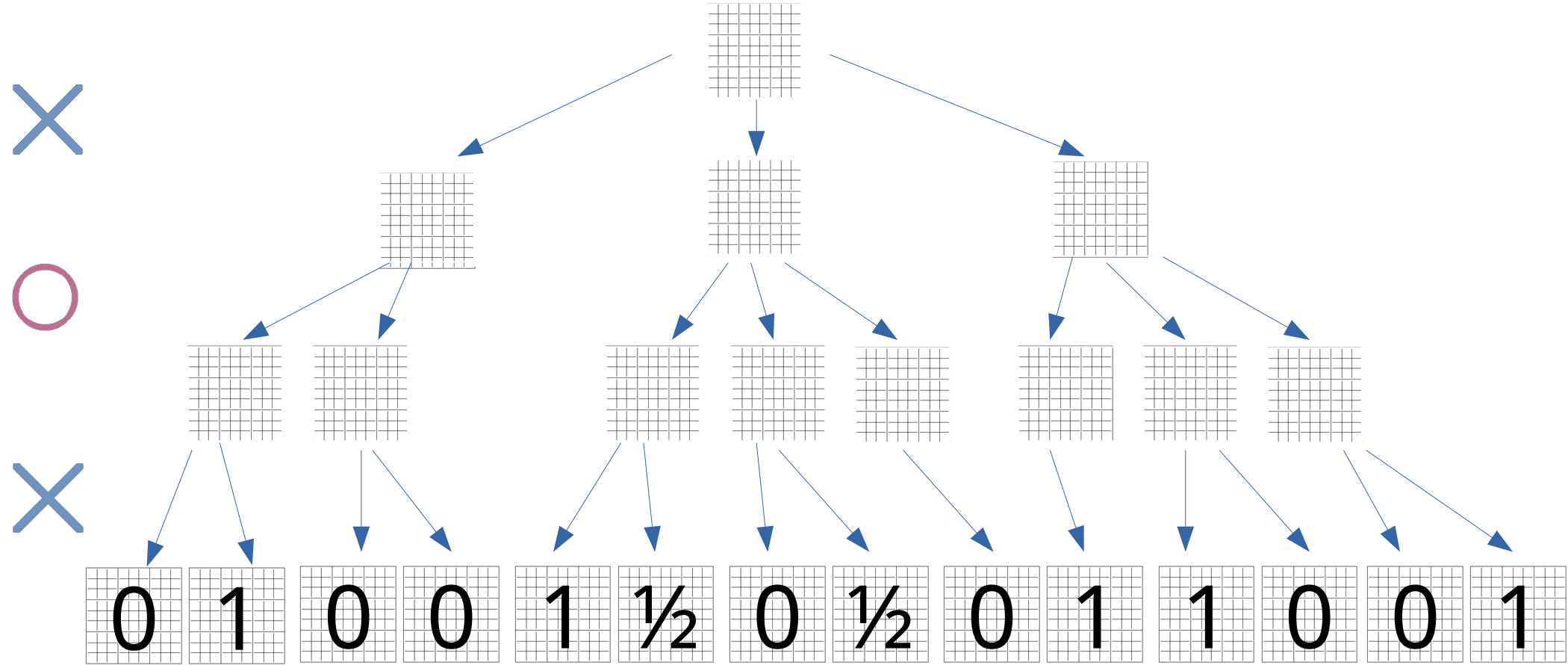


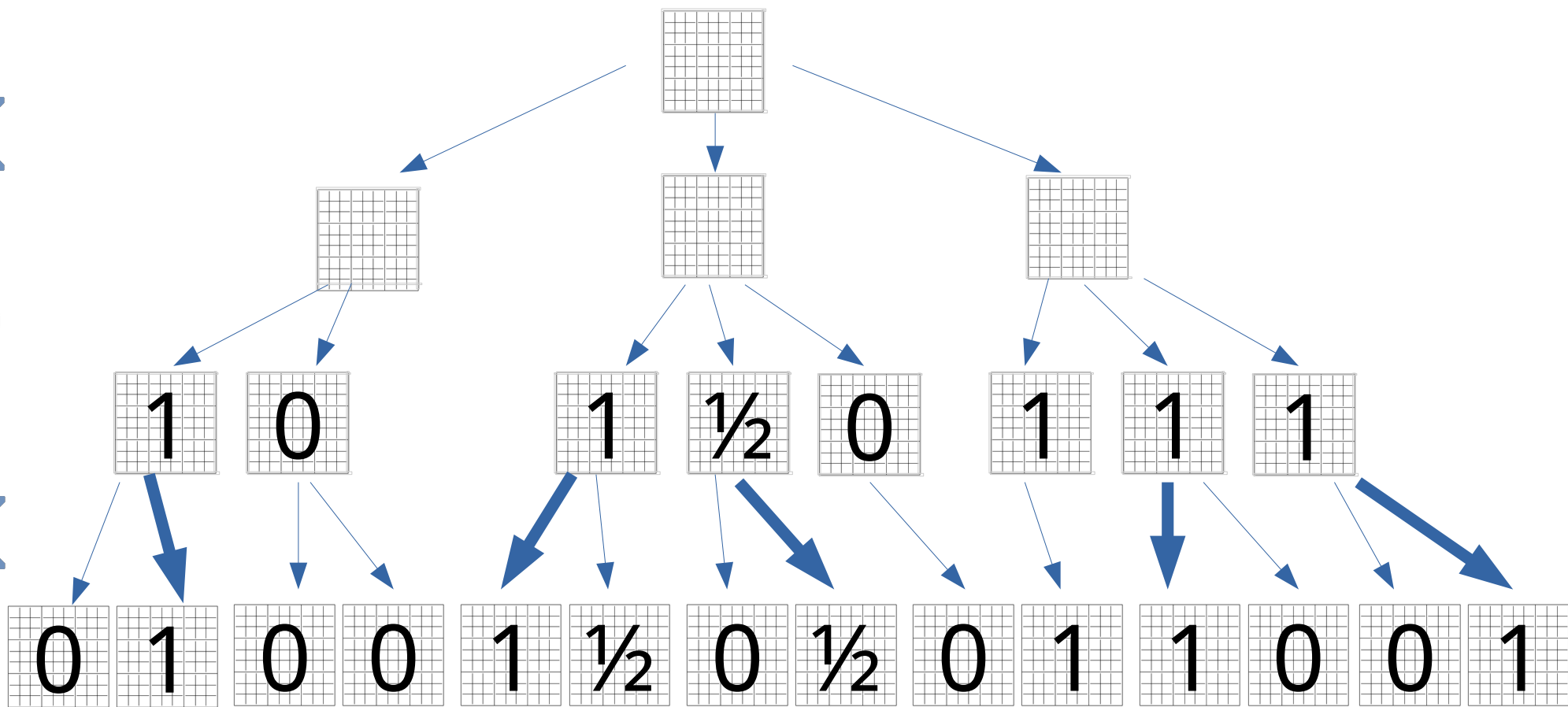


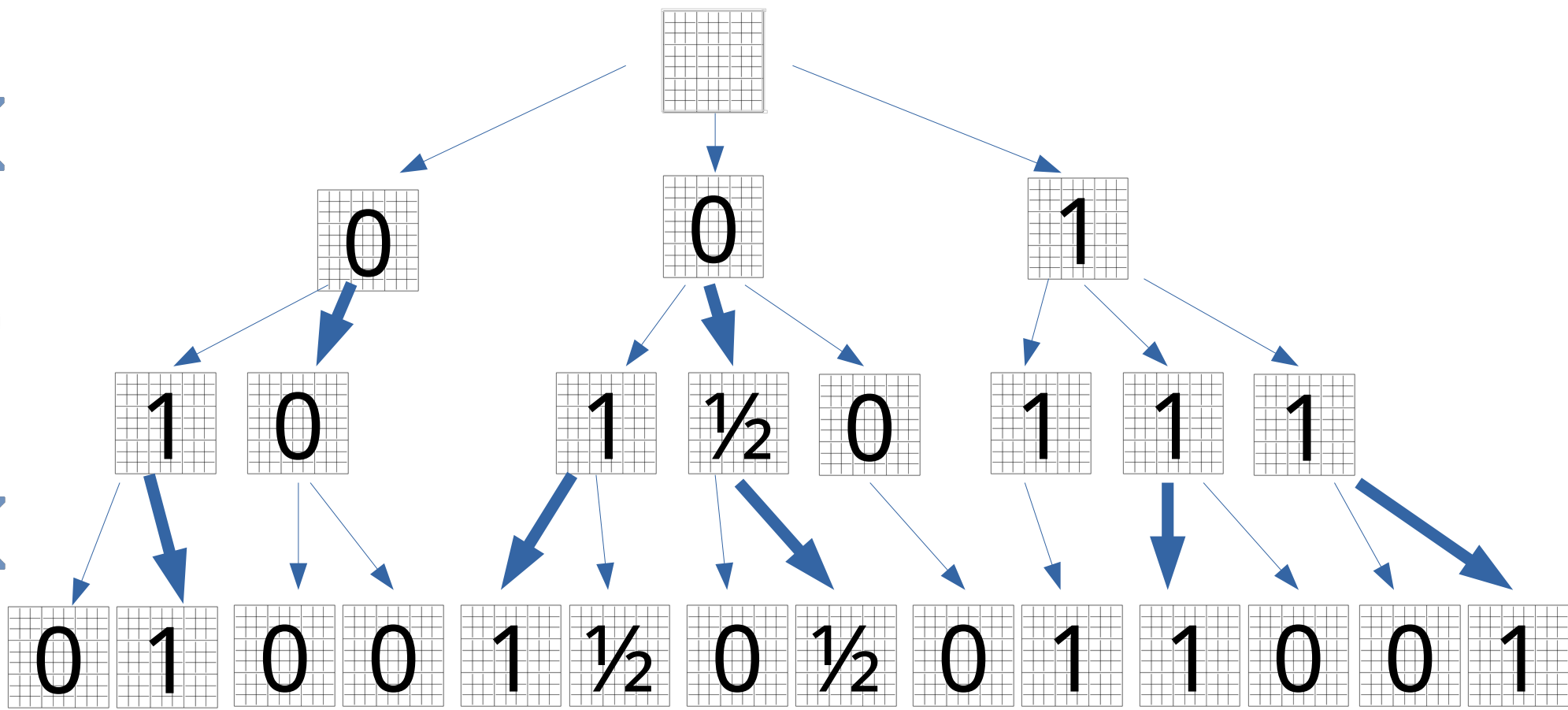
# Recap

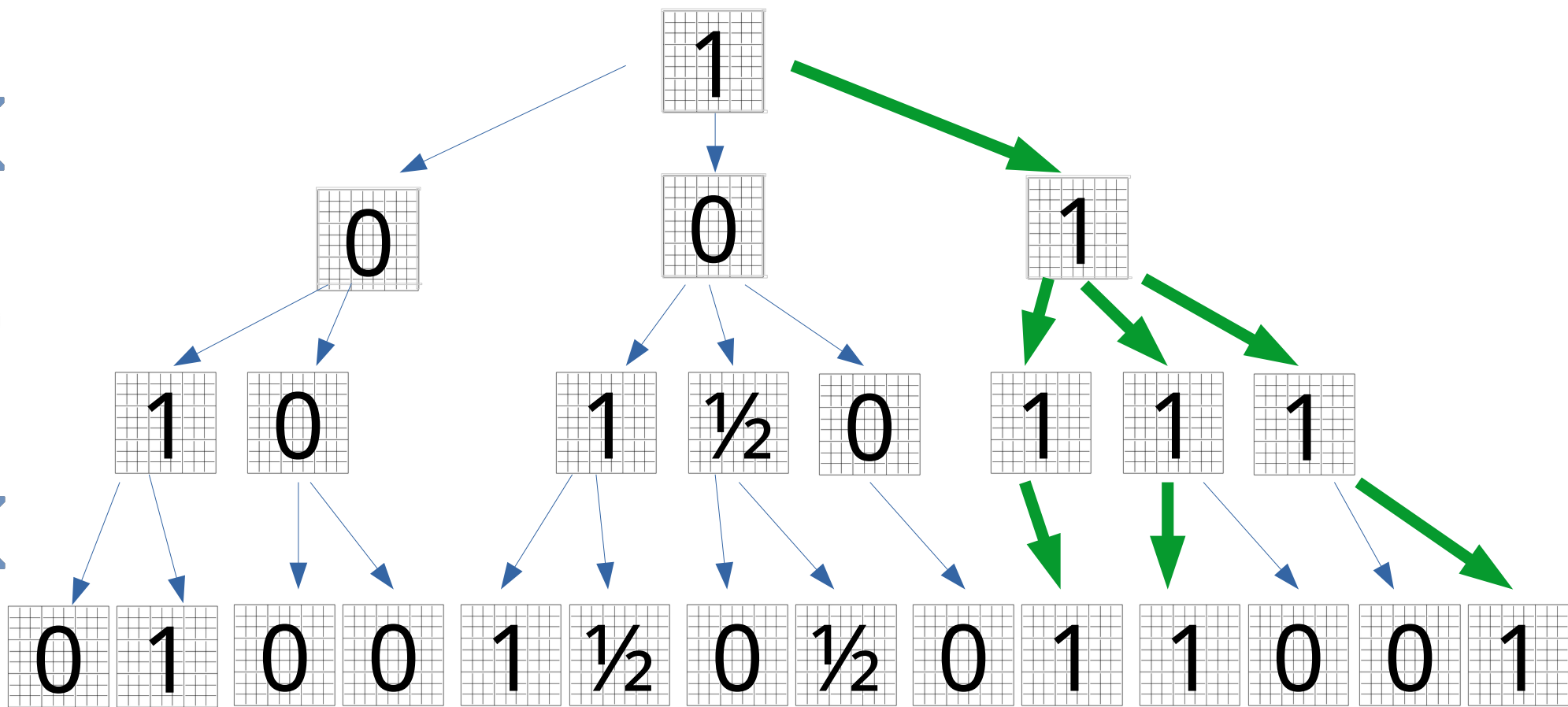
- Win by getting a row, column, or diagonal in the big game.
- Winning a small game, gives you that cell in the big game.
- A player's move determines which small game the next player must choose.
- If you are forced to play in a small game that is full or has been won, you can play in any cell.
- On the first turn of the game, the player can choose any cell.

# Minimax Algorithm

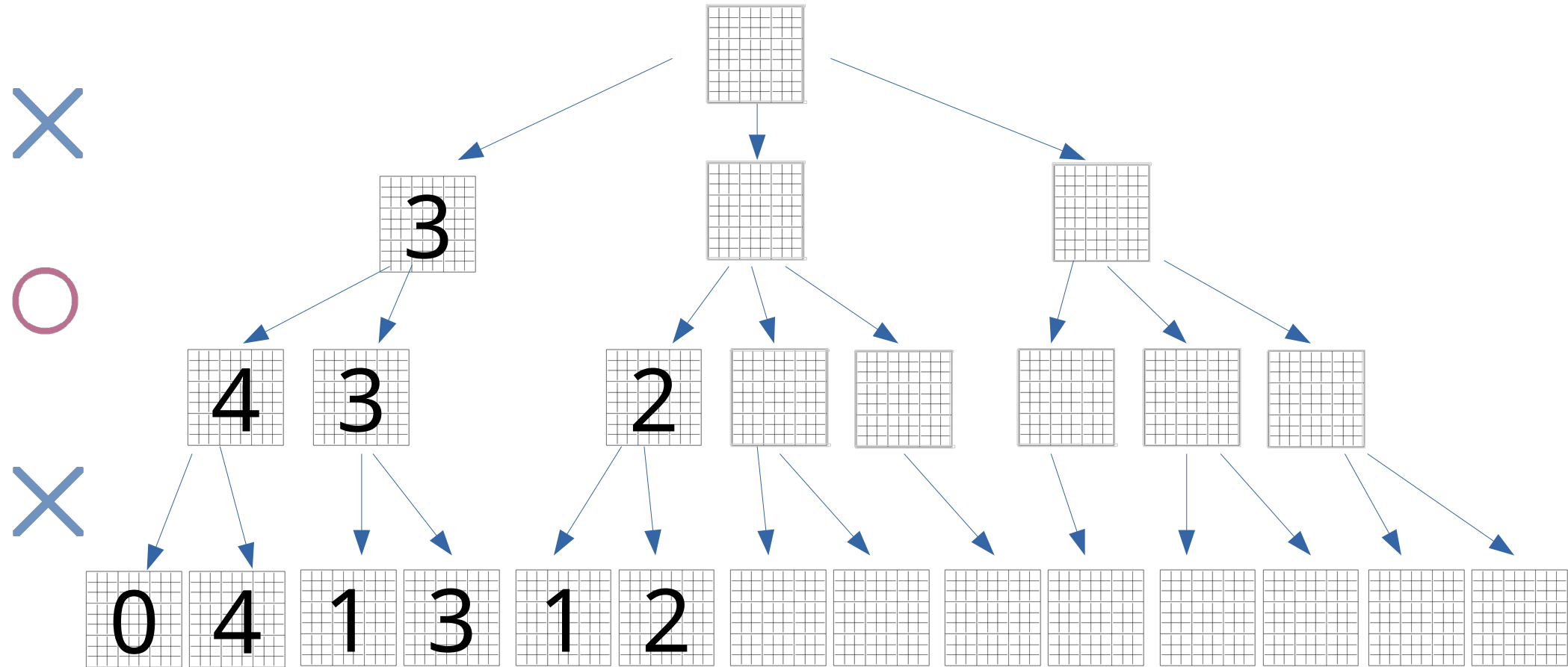




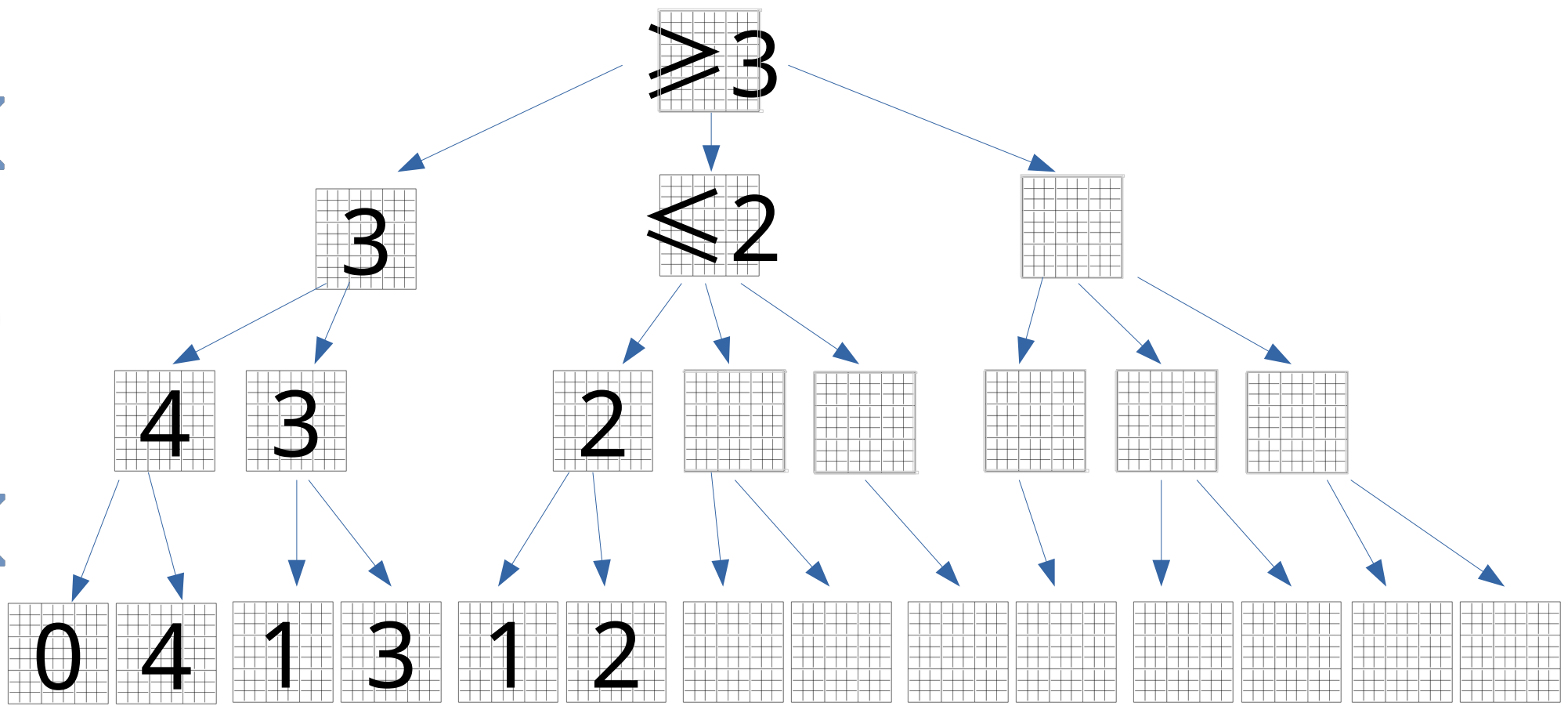




# Alpha-Beta Pruning



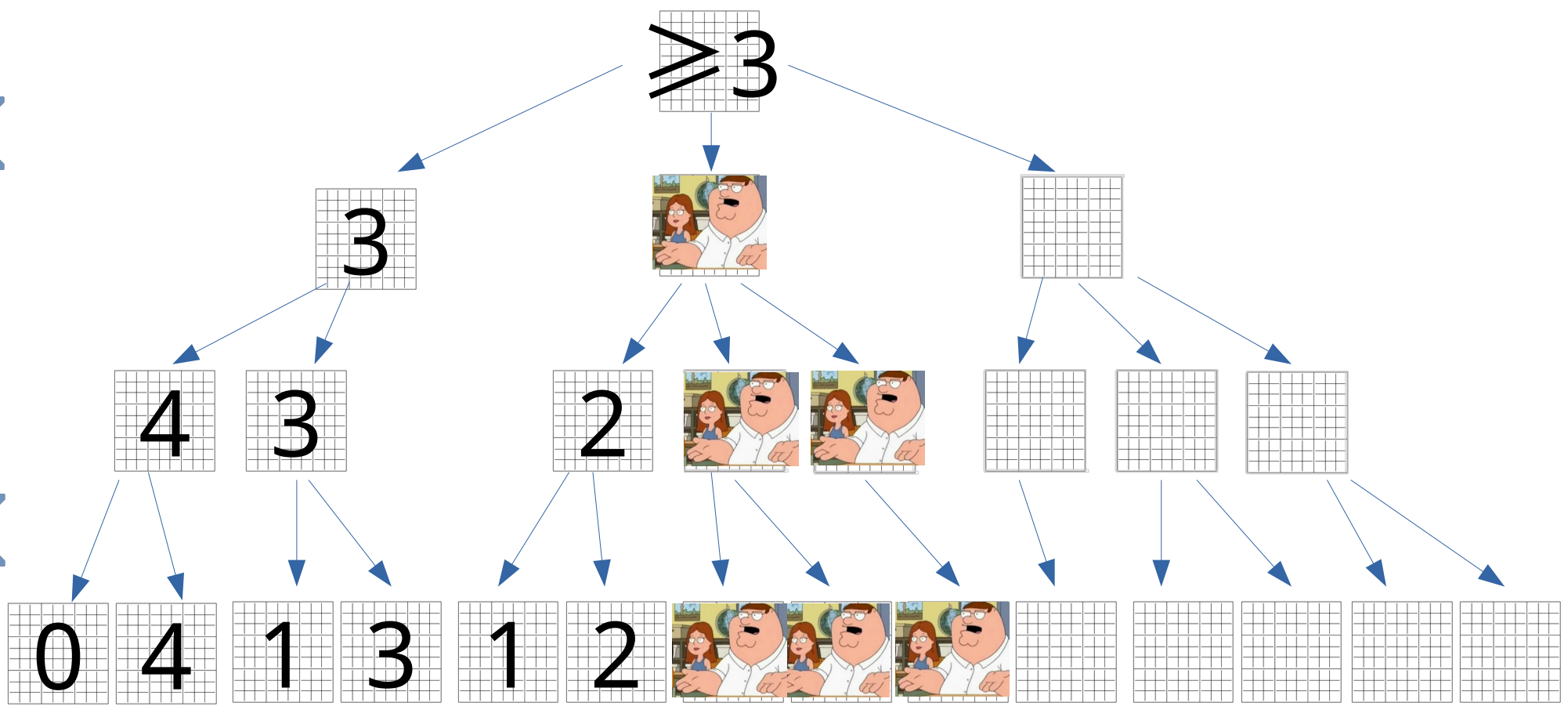




X

O

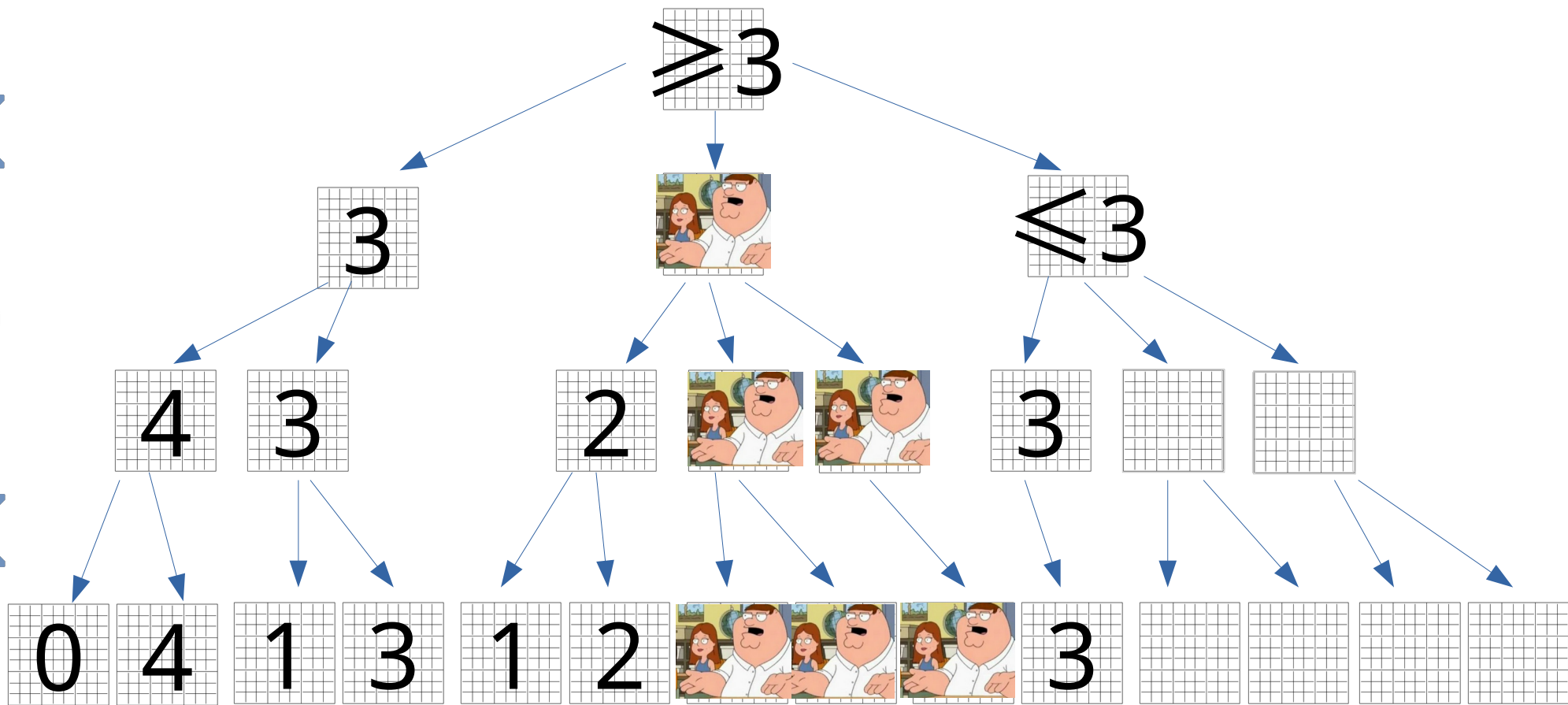
X



×

○

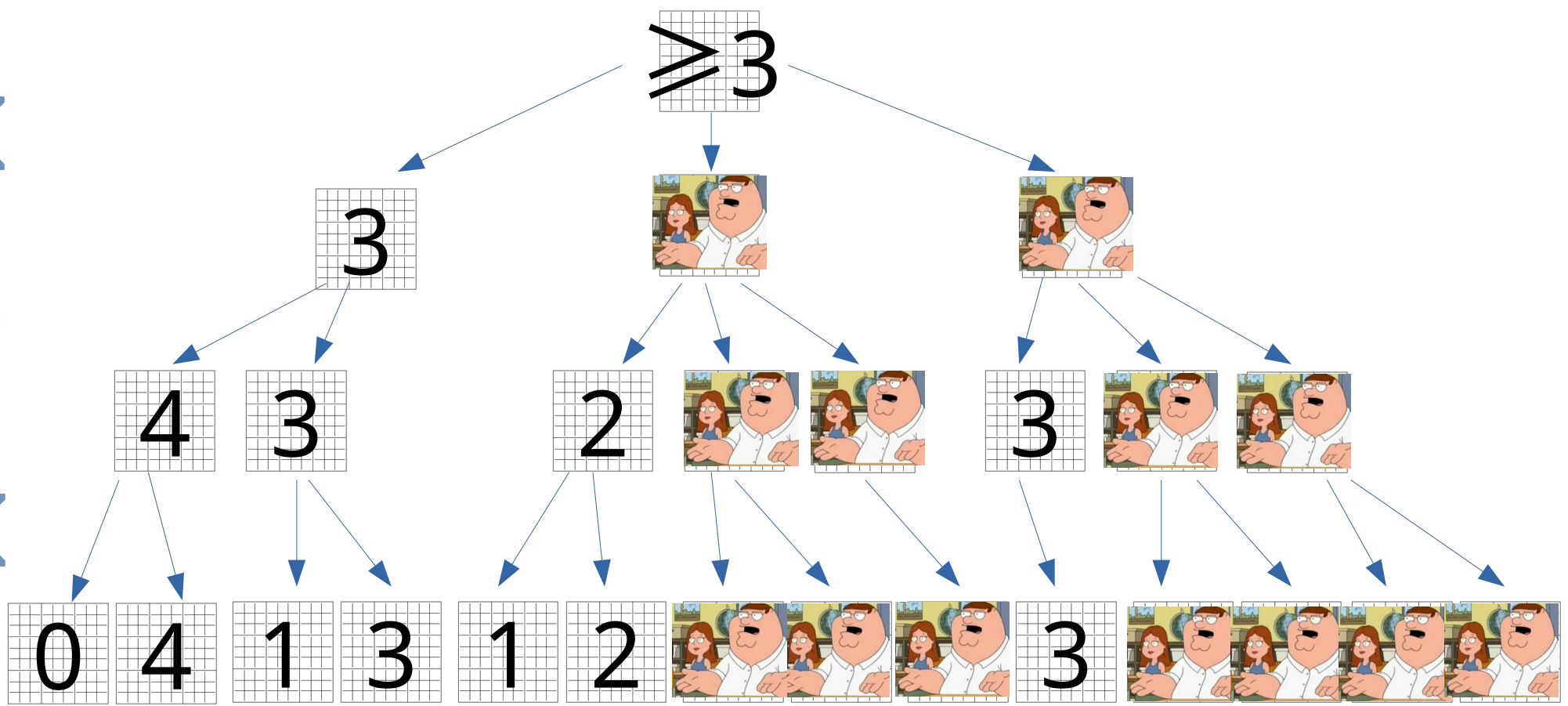
×



X

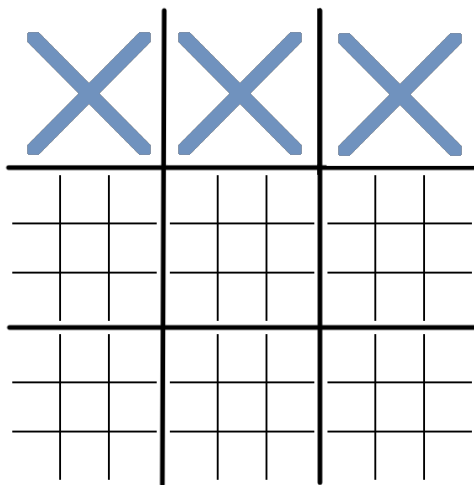
O

X

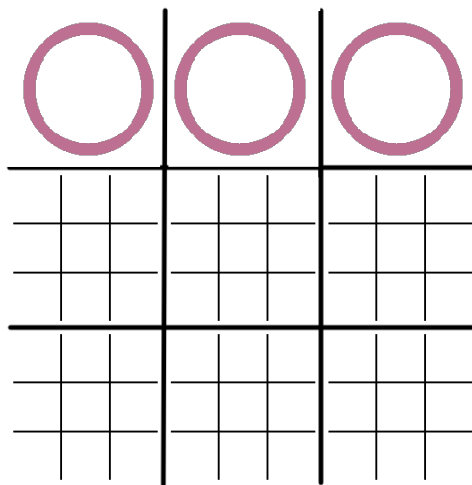


# Heuristic

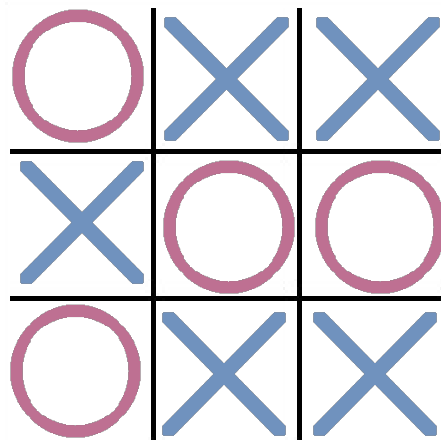
- A shortcut in problem solving that trades optimality for time



Win: infinity



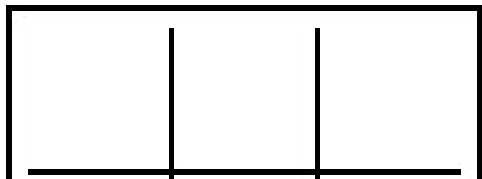
Loss: negative infinity



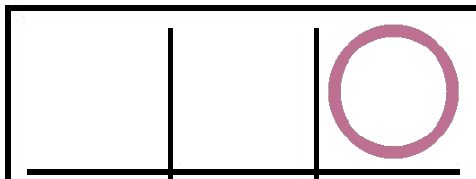
Draw: zero

Otherwise:  $f(\text{game}, X) - f(\text{game}, O)$

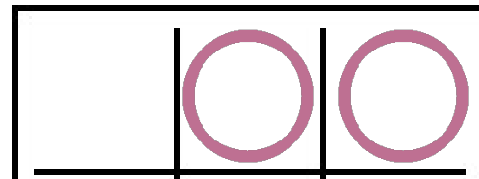
$\frac{1}{2} * \frac{1}{2} * \frac{1}{2}$



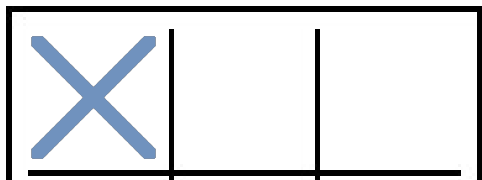
$\frac{1}{2} * \frac{1}{2} * 0$



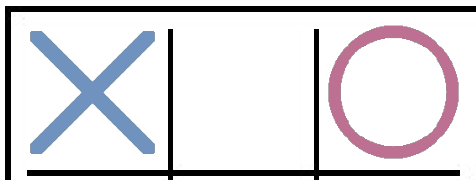
$\frac{1}{2} * 0 * 0$



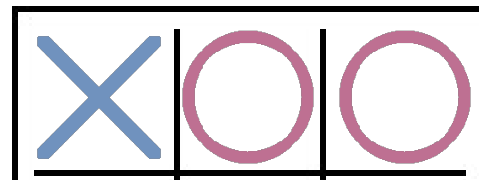
$1 * \frac{1}{2} * \frac{1}{2}$



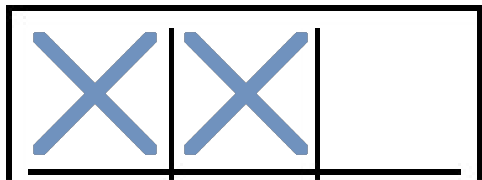
$1 * \frac{1}{2} * 0$



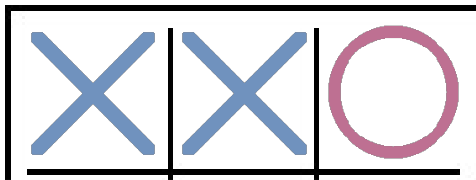
$1 * 0 * 0$

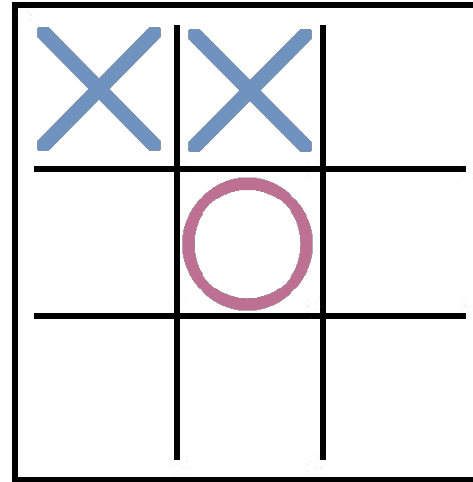
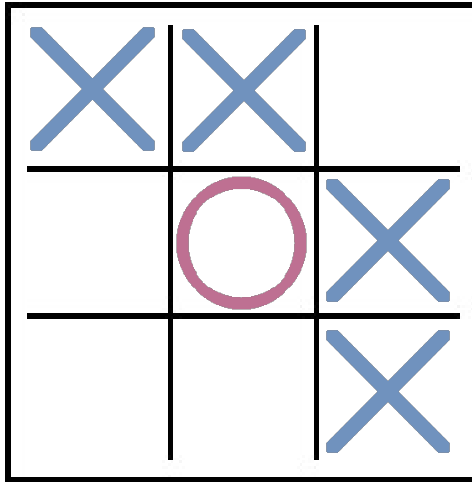


$1 * 1 * \frac{1}{2}$



$1 * 1 * 0$





There are more  
lines that are one  
away from a win.

But there are the same number of ways to win in one move.





The End